Mathematical correlation between villus height and the nutritional state in Sprague-Dawley rats

J L Zambonino Infante, J M Rouanet, P Besançon

Abstract
Three different experiments were carried out on growing male Sprague-Dawley rats. In the first experiment, dietary nitrogen was given in casein at four different protein values ranging from 5 to 16%. Rats were fed ad libitum for 21 days. In the second experiment, which lasted 17 days, animals were given three diets that differed in the molecular form of the nitrogen supply – that is, proteins or peptides. The protein value (N×6-25) was 10% in each diet. In the third experiment, malnourished rats were refed diets with a protein value of 15% (N×6-25) for eight days. The dietary nitrogen was either in the form of protein, peptide, or amino acid. Body weight was recorded daily. At the end of each experiment the intestinal villus height was measured by light microscopy. Data were statistically analysed by Exner’s coefficient. The results assessed the validity of the correlation between villus height and gain in body weight.

(Gut 1993; 34: 1066–1068)

One of the important problems in nutrition is to determine how animals respond and adapt to a new diet. They must adapt to various nutritional conditions, particularly to the value, nature, and molecular form of the nitrogen in the diet to survive. The quality of nitrogen supply in food-stuffs is generally assessed by nutritional indices such as gain in body weight and how effectively protein is digested. Morphological measurements and enzyme activities carried out on intestinal mucosa are another good method of assessing dietary nitrogen quality. Changes in villus and microvillus height are relevant to such an adaptive response. Some authors have emphasised the use of mucosal enzyme activities – that is, those of disaccharidases and leucine aminopeptidase – as indicators of dietary protein quality. On the other hand, assessment of morphological changes has more often been used in the diagnosis and assessment of intestinal pathology or in studies on intestinal development during fetal life. Finally, King et al., have pointed out a trophic effect of the dietary nitrogen value on mucosal growth, triggering off an increase in villus height.

The villus height depends upon two factors; firstly on cellular multiplication and differentiation from the crypts; and secondly on the migration of mature cells along the villus axis, accompanied by the cellular shedding from the apex. The regulation of these factors is widely considered to be the way in which the small intestine adapts to nutritional demands. Nevertheless it remains to be verified whether villus height is relevant to the previous dietary history – that is, nitrogen supply quality – and whether it depends on body weight at the time it is measured.

This study aimed at working out a simple mathematical correlation between the villus height and gain in body weight in rats adapted to different experimental conditions.

Methods

ANIMALS AND DIETS
Three experiments were carried out. These differed not only in duration but also in the molecular form in which the nitrogen was supplied (protein, peptide, or amino acid). These experiments were performed on Sprague-Dawley rats (Ifsa Credo, France).

Experiment 1
Growing male rats weighing mean (SEM) 114 (2) g, were divided into four equal groups of six animals according to the average body weight. They were fed ad libitum isocaloric diets with increasing protein values (5, 8, 10.5, and 16%); the dietary nitrogen was supplied by casein. The composition of the diets has been previously published. The experiment lasted for 21 days.

Experiment 2
Fifteen male rats, 25 days old, and weighing 80 (4) g were divided into three equal groups. They were fed isocaloric and isonitrogenous diets (1-6% N – that is, 10% concentration protein) containing either casein (control group), bovine plasma protein, or an enzymatic hydrolysate of these proteins containing 75% of dipeptides and tripeptides. The experiment was carried out over 17 days. Experimental diets have already been described.

Experiment 3
Twenty growing male rats were submitted to 15 days protein malnutrition (2-4% protein concentration, supplied by casein) and were then randomly distributed to four equal groups of five animals weighing 105 (5) g. On day 16, they were given isocaloric and isonitrogenous diets (2-4% N – that is, 15% protein value) containing either casein, blood protein, an enzymatic hydrolysate of these proteins (see experiment 2) or an amino acid mixture equivalent to blood proteins, as the sole nitrogen source. Twenty other rats were submitted to a 15 day period of protein-calorie malnutrition and were then distributed to four equal groups of five animals (81 (2) g) and subjected to an identical diet. The refeeding
Experimental data and characteristics of the estimations given by the model (values, mean (SEM))

<table>
<thead>
<tr>
<th>Point no</th>
<th>Experiment number</th>
<th>Body weight gain (g/day)</th>
<th>Yexp (µm)</th>
<th>Yth (µm)</th>
<th>Yexp-Yth (µm)</th>
<th>Y reliable error (p&lt;0.05)</th>
<th>Body weight (g)</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>3</td>
<td>0.06 (0.00)</td>
<td>398-7</td>
<td>364-9</td>
<td>24.78</td>
<td>362.89-366.94</td>
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<td>2</td>
<td>3</td>
<td>1.40 (0.20)</td>
<td>464-9</td>
<td>406-9</td>
<td>15.59</td>
<td>451.20-487.40</td>
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<tr>
<td>3</td>
<td>3</td>
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<td>406-2</td>
<td>406-2</td>
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<td>470.15-506.29</td>
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<tr>
<td>4</td>
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<td>1.86 (0.28)</td>
<td>488-0</td>
<td>492-4</td>
<td>4.40</td>
<td>474.45-510.35</td>
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<tr>
<td>5</td>
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<td>2.20 (0.40)</td>
<td>504-8</td>
<td>507-0</td>
<td>4.15</td>
<td>486.68-524.21</td>
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<tr>
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<td>542-0</td>
<td>542-0</td>
<td>20.13</td>
<td>529.30-557.86</td>
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</tr>
<tr>
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<td>526-3</td>
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<td>17.28</td>
<td>529.30-558.36</td>
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<tr>
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<td>550-0</td>
<td>544-1</td>
<td>5.87</td>
<td>529.90-558.36</td>
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<tr>
<td>9</td>
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<td>3.78 (0.52)</td>
<td>593-0</td>
<td>556-0</td>
<td>37.05</td>
<td>542.61-569.28</td>
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<tr>
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<td>2.97</td>
<td>552.10-577.96</td>
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<td>597-7</td>
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<td>615-2</td>
<td>38.24</td>
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<td>8.70 (0.10)</td>
<td>603-8</td>
<td>625-2</td>
<td>21.42</td>
<td>601.76-648.68</td>
<td>175 (6)</td>
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<td>628-6</td>
<td>628-4</td>
<td>0.19</td>
<td>603.77-653.05</td>
<td>153 (5)</td>
</tr>
</tbody>
</table>

Results and discussion

The Table shows experimental data. Figure 1 shows possible association between animal body weight and villus height. The ANOVA for the different models of regression tested was very explicit. The points distribution is not significantly different from a horizontal line and a relation between the villus height and the body weight cannot therefore be considered in this body weight range. On the other hand Fig 2 shows a well ordered point repartition, significantly different from a horizontal line; the selected mathematical example for this repartition is a hyperbolic graph described by the following equation:

\[ Y = \frac{ax + c}{b + x} \]

Where: \( Y \) = villus height (µm); \( X \) = body weight

![Figure 1: Relation between body weight and villus height in rats at the end of each experiment.](image1)

![Figure 2: Relation between body weight gain and villus height measured in each dietary group at the end of each experiment.](image2)
gain (g/day); $a=365.33$; $b=3.20$; $c=358.20$ and with: $R=0.944$ and $\Omega=0.366$.

With such indicators (R and $\Omega$) the hyperbolic model is well validated. The coefficient of correlation value is good, considering that we tried to get a mathematical relation from a physiological response. Exner’s coefficient confirmed the pattern validity as its value shows fair agreement between the theoretical equation and the experimental data points. Moreover, this model has the advantage of giving, by means of a simple calculation: (i) a minimal villus height (about 358 $\mu$m), which related experimentally to protein malnutrition, (ii) a limit to villus growth reaching about 710 $\mu$m as maximum height related experimentally to a protein value of 20%, or higher. This study justified the use of villus height as an indicator of the nutritional state in rats. Indeed, villus height was mathematically correlated to daily body weight gain, another indicator of nutritional state, and was independent of body weight, which is an indicator of the state of development. It is proposed that this is a new, complementary criterion to use.

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